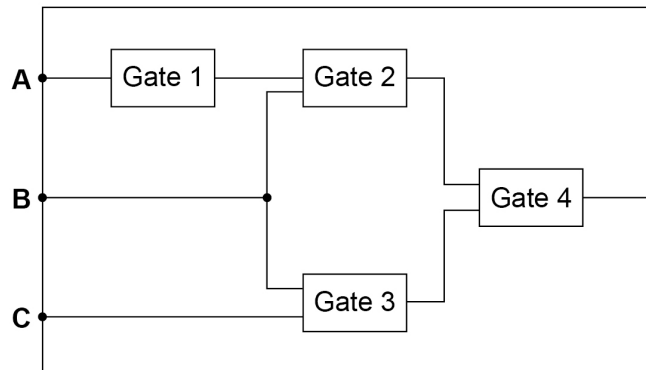


0 5

The expression $(B \text{ AND } (\text{NOT } A)) \text{ OR } (B \text{ AND } C)$ can be represented by the logic circuit shown in **Figure 5**. In the circuit the logic gates are marked with labels instead of their proper symbols.

Figure 5

0 5 . 1

State the name of the logic gate used at Gate 1 in **Figure 5**.

[1 mark]

0 5 . 2

State the name of the logic gate used at Gate 2 in **Figure 5**.

[1 mark]

0 5 . 3

Draw the logic circuit symbol in the space below for the logic gate used at Gate 3 in **Figure 5**.

[1 mark]

0 5 . 4

Draw the logic circuit symbol in the space below for the logic gate used at Gate 4 in **Figure 5**.

[1 mark]

0 5 . 5

Complete the truth table for the Boolean expression:

$$(X \text{ AND } Y) \text{ OR } (\text{NOT } X)$$

[3 marks]

| X | Y | X AND Y | NOT X | (X AND Y) OR (NOT X) |
|---|---|---------|-------|----------------------|
| 0 | 0 | | | |
| 0 | 1 | | | |
| 1 | 0 | | | |
| 1 | 1 | | | |

0 5 . 6

A truth table for the complex Boolean expression:

$(A1 \text{ AND } (\text{NOT } A2) \text{ AND } A3) \text{ OR } (A1 \text{ AND } A2 \text{ AND } A3)$
is shown in **Figure 6**.

Figure 6

| A1 | A2 | A3 | OUTPUT |
|----|----|----|--------|
| 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 |
| 0 | 1 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 |
| 1 | 0 | 1 | 1 |
| 1 | 1 | 0 | 0 |
| 1 | 1 | 1 | 1 |

Shade **one** lozenge which shows a simpler expression which is the equivalent of the original, more complex, expression.

[1 mark]

A NOT A1

☐

B A2 OR A3

☐

C A1 AND (NOT A2)

☐

D A1 AND A3

☐
